

## Errata for the first printing of CIDECT Design Guide No. 9 (Design Guide for Structural Hollow Section Column Connections)

In the following errata corrected parts are shown with bold face letters and also highlighted in yellow. Locations (page, line, etc) where corrections are made are shown with bold faces.

### Page 25; 2<sup>nd</sup> line:

moments at the connections  $M_j$  are given for different **connection** stiffnesses  $S_j$ .

### Page 31; 3<sup>rd</sup> and 4<sup>th</sup> line:

$k_3$ : column web (tension)  
 $k_5$ : bolt (tension)

$k_4$ : column flange (**bending**)  
 $k_7$ : **end** plate (bending)

### Page 31; 18<sup>th</sup> line:

various types of semi-rigid connections between open sections, **but the principles can also be used for connections with hollow section members.** Later on, the actual

### Page 38; 2<sup>nd</sup> line:

$$V^* = \phi_1 A_g f_{p,y} / \sqrt{3}$$

CSA Specification

$$= 0.9(340)(10)(0.300) / \sqrt{3} = \mathbf{530} \text{ kN} > 484 \text{ kN.}$$

### Page 46; 4<sup>th</sup> line below figure 5.11:

bolts of at least **M20** Grade 8.8 (ASTM A325) capacity, to account for prying action caused

### Pages 55; figure 6.2, under Functions:

$$f(n') = 1 + 0.3 \cdot n' - 0.3(n')^2 \quad \text{for } n' < 0$$

$$f(n') = 1.0 \quad \text{for } n' \geq 0$$

### Pages 67; figure 6.11, under Functions:

$$f(n') = 1 + 0.3 \cdot n' - 0.3(n')^2 \quad \text{for } n' < 0$$

$$f(n') = 1.0 \quad \text{for } n' \geq 0$$

### Page 74; 6<sup>th</sup> line:

the following modified criterion for column face plastification of **uniplanar** I-beam to RHS

### Page 74; 17<sup>th</sup> line:

$$\eta \geq 2\sqrt{(1-\beta)}, \text{ see Lu (1997).}$$

### Page 74; 19<sup>th</sup> line:

one flange and the other (if two separate flanges would be present). Thus for values  $\eta < 2\sqrt{1-\beta}$  several strength criteria may have to be considered.

**Page 74; 25<sup>th</sup> – 31<sup>st</sup> line:**

- As shown in figure 6.20 for the investigated width ratios  $0.15 < \beta < 0.75$  negative **multiplanar** load ratios ( $J < 0$ ) decrease the connection capacity considerably, whereas positive **multiplanar** load ratios ( $J > 0$ ) generally have a small beneficial effect. Simplified this effect is given by  $f(J) = 1+0.4J$ , but  $\leq 1.0$ . This lower bound can also be used for axially loaded I-beam to RHS connections. Based on the work of Yu (1997), it is expected that for  $\beta$  ratios close to 1.0 that positive **multiplanar** load ratios may also have a negative effect on the load, therefore the validity range is limited to  $0.2 \leq \beta \leq 0.8$

**Page 77; 4<sup>th</sup> formula:**

$$M_b^* \leq f_{b,y} \cdot t_{b,f} \cdot b_e \cdot (h_b - t_{b,f})$$

**Page 77; range of validity:**

$$0.2 \leq \beta \leq 0.8, \quad 15 \leq 2\gamma \leq 37.5, \quad 0.3 \leq \eta \leq 2.0$$

**Page 79; 7<sup>th</sup> line:**

ent on the thickness of the cap plates, the **stiffeners in** the beam and the bolts. Since

**Page 80; 15 - 16<sup>th</sup> line:**

Besides the bolted I-beam-to- RHS column connections with extended plates shown in **figure 6.26(b)**, nowadays it is also possible to connect directly to the face of the RHS column.

**Page 87; 1<sup>st</sup> - 2<sup>nd</sup> line:**

figure 6.31, gives for a conservative linear extrapolation from  $\beta = 0.8$  to  $\beta = 1.0$  an increase of **about 60%**.

**Page 88; below figure 6.32:**

From the design graph follows:

$$\text{For } \frac{d_c}{t_c} = 29.85 \text{ and } \beta = 1.0 (d_b = d_c): \quad C_{b,ip} = 0.67$$

$$\text{For } \frac{f_{c,y} \cdot t_c}{f_{b,y} \cdot t_b} = \frac{10}{6.3} = 1.6: \quad M_{b,ip}^* = 0.67 \cdot 1.6 \cdot f(n') \cdot M_{b,pl} = 1.07 f(n') \cdot M_{b,pl}$$

Suppose the compression stress in the column is  $0.6 f_{yc}$  then  $n' = -0.6$  and with  $f(n') = 1+0.3n'-0.3(n')^2 = 0.71$

$$M_{b,ip}^* = 0.76 M_{b,pl}$$

Page 90; Figure 6.34 should be replaced by the following figure:

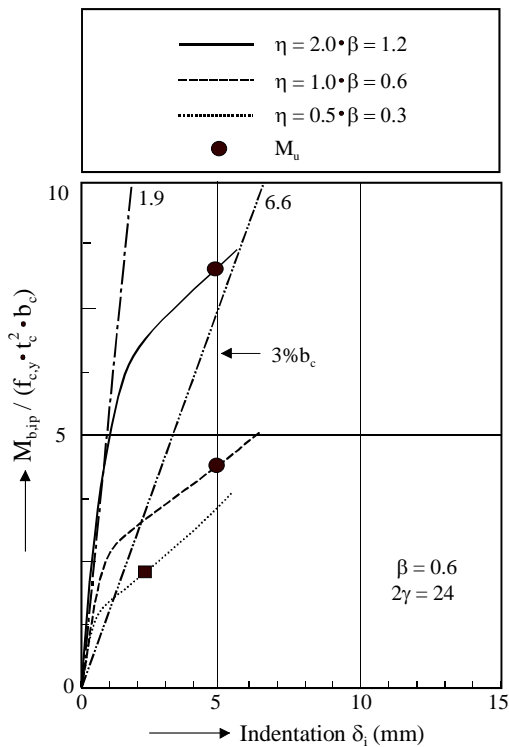


Figure 6.34 - Numerical results of Yu (1997) for X-connections loaded by in-plane bending moments

Page 90; at the bottom:

The parameters are nearly the same as for the connection being considered, only the dimensions **are** different i.e.  $b_0 = 150$  mm instead of 200 mm. Thus, the influence of  $b_0$  has to be incorporated in the results of Yu and the effect of  $\eta$  should be included by interpolation between  $\eta = 0.6$  and  $\eta = 1.2$ . **The two straight lines in the figure show the initial stiffness and the stiffness at the capacity of the connection (at 3%  $b_0$ ), interpolated at  $\eta = 1.0$ .**

As shown in the figure the moment rotation curve is strongly bi-linear. The initial **rotation**  $\phi_i$  is given by:

$$\phi_i = 2\delta_i/h_b$$

$$\text{For } \eta = 1.67\beta = 1.0 \text{ and for } M_{b,ip} = 10 \cdot f_{c,y} \cdot t_c^2 \cdot b_c : \delta_i = \mathbf{1.9} \text{ mm}$$

Page 91; up to line 18:

thus,  $\phi_i = 2 \times \mathbf{1.9} / 150 = \mathbf{0.025}$  for

$$M_{b,ip} = 10 \times 355 \times (6.25)^2 \times 150 = 20.8 \times 10^6 \text{ Nmm} = 20.8 \text{ kNm}$$

$$C_{ip} = M_{b,ip} / \phi_i = \mathbf{821} \text{ kNm/rad}$$

The local indentation is **proportional to  $b_c^4$  and reciprocal to  $t_c^3$**  (compare with a beam under a uniformly distributed load). Thus, the local indentation in this example turns out to be  $(200/150)^4 (6.3/8)^3$  times larger. For the rotation the indentation is divided by half the beam depth ( $h_c = \eta b_c$ ), thus the rotation is a function of  $b_c^3/\eta$ . Note that in both cases the rotation is related to  $\eta=1$ .

Consequently **for the example** the initial stiffness is given by:

$$C_{ip} = 821 \left( \frac{150}{200} \right)^4 \left( \frac{8}{6.25} \right)^3 \frac{200}{150} = 709 > 542 \text{ kNm/rad}$$

Thus, it can be concluded that according to Eurocode 3 the **connection** cannot be assumed as being pin-ended.

Considering the **stiffness when the moment capacity** of the connection (3%  $b_c$ ) is reached gives:

$$\delta_i = 6.6 \text{ mm instead of } 1.9 \text{ mm for } \eta = 1.67\beta = 1.0 \text{ and for } M_{b,ip} = 10 \cdot f_{c,y} \cdot t_c^2 \cdot b_c$$

Consequently the rotational stiffness drops to:

$$\frac{1.9}{6.6} \cdot 709 = 204 \text{ kNm/rad} < 542 \text{ kNm/rad}$$

This is **lower than the limit and based on stiffness, the connection can be classified as a pin-ended connection, provided the connection has sufficient rotation capacity.**

**Delete: Note**

**Page 93; insert below the 8<sup>th</sup> line:**

**This shows that both chord stress functions give about the same result.**

**Page 123; the last line of the 2<sup>nd</sup> paragraph:**

which are equal to  $2 \times 242 + 4 \times 211 = 1328$  kN. Thus, the block shear failure is less critical.

**Page 180; equation 11.14:**

tube bearing  $B_c^* = 3 \phi_3 d_n t_c n f_{c,u}$  .....11.14

**Page 181; 3) Determine connection parameters, 4<sup>th</sup> equation:**

$$K_1 = \ln\left(\frac{r_2}{r_3}\right) = \ln(238.2/196.95) = 0.190$$